Polarized CMB: Reionization and Primordial Tensor Modes

Asantha Cooray

Theoretical Astrophysics, California Institute of Technology, Pasadena, California 91125, USA. E-mail: asante@caltech.edu

Abstract. We discuss upcoming opportunities with cosmic microwave background (CMB) observations during the post-WMAP era. The curl-modes of CMB polarization probe inflationary gravitational waves (IGWs). While a significant source of confusion is expected from cosmic shear conversion of polarization related to density perturbations, higher resolution observations of CMB anisotropies can be used for a lensing reconstruction and to separate gravitational-wave polarization signature from that of lensing. Separations based on current lensing reconstruction techniques allow the possibility to probe inflationary energy scales below 10^{15} GeV in a range that includes grand unified theories. The observational detection of primordial curl-modes is aided by rescattering at late times during the reionized epoch with optical depth to electron scattering at the level of 0.1 and above. An improved measurement of this optical depth is useful to optimize experimental parameters of a post-WMAP mission attempting to target the IGW background.

1. CMB: At Present

The cosmic microwave background (CMB) is now a well known probe of the early universe. The temperature fluctuations in the CMB, especially the so-called acoustic peaks in the angular power spectrum of CMB anisotropies, capture the physics of primordial photon-baryon fluid undergoing oscillations in the potential wells of dark matter (Hu et al. 1997). The associated physics — involving the evolution of a single photon-baryon fluid under Compton scattering and gravity — are both simple and linear, and many aspects of it have been discussed in the literature since the early 1970s (Peebles & Yu 1970; Sunyaev & Zel'dovich 1970). The gravitational redshift contribution at large angular scales (e.g., Sachs & Wolfe 1968) and the photon-diffusion damping at small angular scales (e.g., Silk 1968) complete this description.

By now, the structure of the first few acoustic peaks is well studied with NASA's Wilkinson Microwave Anisotropy Probe (WMAP) mission (e.g., Spergel et al. 2003), while in the long term, ESA's Planck surveyor¹, will extend this to a multipole of ~ 2000 with better frequency coverage. Beyond temperature fluctuations, detections of the polarization anisotropy, related to density or scalar perturbations, have now been made by the DASI experiment (Kovac et

¹ http://astro.estec.esa.nl/Planck/

al. 2002), followed up with an improved study of the temperature-polarization power spectrum with WMAP (Kogut et al. 2003).

An interesting result from WMAP data is related to the very large angular scale polarization signal, which probes the local universe and associated astrophysics instead of physics at the last scattering surface probed with polarization at tens of arcminute scales. This local universe contribution arises when the universe reionizes again and the temperature quadrupole begins to rescatter to produce a new contribution to the polarization anisotropy at angular scales corresponding to the horizon at the new scattering surface (Zaldarriaga 1997). Such a signal was measured in the WMAP temperature-polarization cross-correlation power spectrum and was interpreted as rescattering with an optical depth to electron scattering, inferred from the amplitude of the large angular scale CMB polarization, of 0.17 ± 0.04 (Kogut et al. 2003).

Such an optical depth suggests early reionization; for example, if the universe reionized completely and instantaneously at some redshift, the measured optical depth suggests a reionization redshift of $\sim 17~(\pm 5)$. Such a high optical depth, in the presence of a >1% neutral Hydrogen fraction from z ~ 6 Sloan quasars (Fan et al. 2002), suggests a complex reionization history. A complex, and patchy, reionization, however, is expected if the reionization is dominated by the UV light from first luminous objects, though to explain the high level of the WMAP's optical depth requires high star formation efficiency at redshifts of order 25 with a possibility for a population of metal-free massive Pop III stars (e.g., Cen 2003).

In general, one can only extract limited information related to the reionization history from polarization peak at tens of degrees or more angular scales (e.g., Hu & Holder 2003). One reason for this is the large cosmic variance associated with measurements at multipoles of ~ 10 . To extract detailed information of the reionization process, one can move to temperature fluctuations generated during the reionization era at angular scales corresponding to few arcminutes and below. At these small angular scales, potentially interesting contributions from high redshifts include a scattering contribution related to moving electrons in ionized patches and fluctuations in the moving electron population (e.g., Santos et al. 2003), and a thermal Sunyaev-Zel'dovich effect, just as in massive galaxy clusters containing hot electrons (Sunyaev & Zel'dovich 1980), related to the first supernovae bubbles (Oh et al. 2003). The same redshift ranges are expected to be illuminated in the near-infrared band between 1 to 3 μ m in the form of spatial fluctuations to the cosmic IR background (Cooray et al. 2004). Potentially interesting studies to extract more information related to the reionization process include cross-correlation studies between these small scale effects in CMB as well as other wavelengths. Upcoming experiments such as the South Pole Telescope and the Atacama Cosmology Telescope will provide some of the first possibilities in this direction.

2. CMB: As a Probe of the Inflation

Though acoustic oscillations in the temperature anisotropies of CMB suggest an inflationary origin for primordial perturbations, it has been argued for a while that the smoking-gun signature for inflation would be the detection of a stochas-

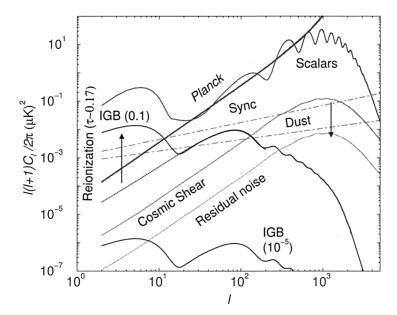


Figure 1. CMB polarization anisotropies in the gradient (E) mode due to scalars and curl (B) modes due to the inflationary gravitational wave background (IGB, with the number in parenthesis showing the normalization in terms of the tensor-to-scalar ratio, which in terms of the energy scale of inflation is 2×10^{16} GeV (0.1), top curve, and 2×10^{15} GeV (10⁻⁵), bottom curve). Note the effect due to reionization where rescattering produces new large angular scale anisotropies. For optical depths at the level of 0.1, the peak of the power related to IGB curl modes is at tens of degree angular scales and not at the degree scale $(l \sim 100)$ corresponding to the bump at recombination. Note that this enhancement, amounting to over two magnitudes in power at $l \sim$ few is significant and will dominate the potential detectability of the IGB via polarization. The IGB detection is confused with cosmic shear conversion of a fractional E-mode \rightarrow B-mode by the intervening large scale structure. The residual noise curve related to cosmic shear is after doing lens-cleaning in polarization maps with an arcminute scale CMB experiment with instrumental polarization sensitivity at the level of 1 μ K $\sqrt{\text{sec}}$. For reference, we show an estimated level of contamination from dust and synchrotron emission (at 150 GHz); this noise level can be improved with foreground cleaning in multifrequency data with sensitivity better than the foreground noise contributions. The curve labeled Planck is the noise curve related to upcoming Planck (HFI) polarization observations as a function of each multipole.

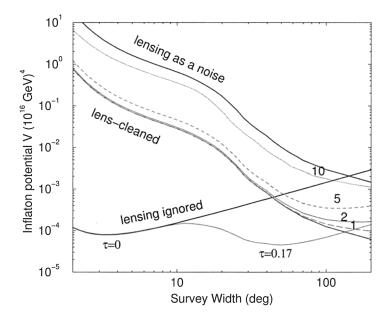


Figure 2. Minimum inflation potential observable at 1σ as a function of survey width. The panel shows an experiment with $1 \mu K \sqrt{\text{sec}}$ sensitivity. The bottom curve shows results assuming no lensing confusion for the two cases with $\tau = 0$ and $\tau = 0.17$; for $\tau = 0$, power is at degree scales and can be extracted from a survey that targets a few square degree area. In the case of $\tau = 0.17$, one improves the limit on IGB amplitude slightly by targeting a larger area. The top curves show results including the effects of an unsubtracted lensing or with a partly subtracted lensing based on lens-cleaning methods using quadratic statistics; we take $\theta_{\text{FWHM}} = 10, 5, 2$ and 1 arcminute from top to bottom, while the curve below 1 arcminute assumes lensing subtraction with no instrumental noise. As shown in Figure 1, the recombination peak at degree scales is confused substantially by the lensing confusion but the reionization peak at tens or more degree scales is less affected. Thus, a poor resolution experiment with no capability for lens-cleaning can be optimized with a better understanding of the optical depth to reionization, if the achievable detector noise sensitivities are such that lens cleaning at higher resolution is unlikely to make a substantial improvement.

tic background of gravitational waves (e.g., Kamionkowski & Kosowsky 1999). These gravitational-waves produce a distinct signature in the CMB in the form of a contribution to the curl, or magnetic-like, component of the polarization (Kamionkowski et al. 1997; Seljak & Zaldarriaga 1997). Note that there is no contribution from the dominant scalar, or density-perturbation, contribution to these curl modes.

In Figure 1, we show the contribution from dominant scalar modes to the polarization in the gradient component and from gravitational-waves to the curl polarization. Note that the amplitude of the IGB contribution is highly unknown and simply depends on the energy scale of the inflation. The current limit from

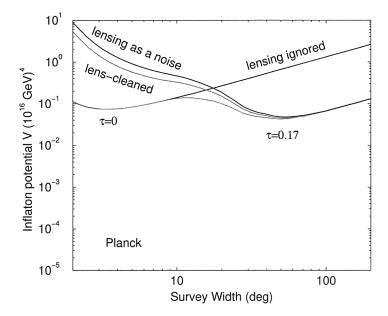


Figure 3. Same as Figure 2, but with sensitivity for polarization observations at the level expected from Planck (HFI) with the same resolution as Planck polarization maps. The importance of reionization is now clearer: given the poor sensitivity and resolution, lens-cleaning is not important here and with $\tau=0.17$ one achieves the same limit by targeting a small area than the whole sky, but if τ were to be smaller, the achievable limit is higher due to lensing confusion of the degree scale recombination peak.

CMB anisotropy data suggests an upper limit of order 2×10^{16} GeV (Melchiorri & Odman 2003).

An important issue related to potential detectability of the curl-modes related to gravity waves is the peak of its contribution; if the universe did not reionize, the peak of the contribution is at the multipoles of ~ 100 corresponding to the contribution generated at the recombination. On the other hand, in the presence of a reionization, the rescattering adds extra power at large angular scales. For optical depths of order 0.17, as estimated by WMAP, the peak is now at tens or more degree scales. This substantial increase in the amplitude aids potential detection of the curl modes and to a large extent will determine the observational details of a post-WMAP mission. For example, if a substantial reionization exists, one can target the large angular scale polarization with a poor resolution experiment. If instrumental noise sensitivities can be substantially improved it may be better to target both reionized contribution at large angular scales and the recombination contribution at small angular scales to substantially improve the limiting amplitude of the IGB. For this, a major source of concern is the confusion from effects that generate curl-modes and not associated with the IGB.

Among these, the few percent conversion of E to B from cosmic shear modification to the polarization pattern by the intervening large scale structure is

important (Zaldarriaga & Seljak 1998). These lensing-induced curl modes introduce a noise from which gravitational waves must be distinguished in the CMB polarization. We now discuss this contribution and how it can be reduced by performing weak lensing studies in high resolution CMB temperature and polarization maps.

2.1. Weak Gravitational Lensing with CMB

Gravitational lensing of the CMB photons by the mass fluctuations in the large-scale structure is now well understood (Hu 2001). Since the lensing effect involves the angular gradient of CMB photons and leaves the surface brightness unaffected, its signatures are at the second order in temperature. Effectively, lensing smooths the acoustic peak structure at large angular scales and moves photons to small scales. When the CMB gradient at small angular scales are lensed by foreground structures such as galaxy clusters, new anisotropies are generated at arcminute scales. For favorable cosmologies, the mean gradient is of order $\sim 15~\mu \rm K$ arcmin $^{-1}$ and with deflection angles or order 0.5 arcmin or so from massive clusters, the lensing effect results in temperature fluctuations of order ~ 5 to $10~\mu \rm K$.

One can effectively extract this lensing contribution, and the integrated dark matter density field responsible for the lensing effect, via quadratic statistics in the temperature and the polarization (Hu 2001; Hu & Okamoto 2003; Cooray & Kesden 2003; Kesden et al 2003) or likelihood-based techniques that are optimized for lensing extraction (Hirata & Seljak 2003). We show errors for a construction of convergence from CMB temperature, with arcminute-scale angular resolution, in Figure 4 and a comparison to what can be achieved with weak lensing studies involving galaxy shapes. Note that one probes linear clustering with CMB while most sensitive measurements at low redshifts, with galaxy shear measurements, are in the non-linear regime. This makes a big difference in terms of cosmological parameter extraction since the uncertainty related to understanding non-linear clustering properties, in the presence of a dark energy or massive neutrinos, will limit the extent to which one can extract information from low redshift lensing surveys. On the other hand, we suggest the importance of combining the two: CMB, with a source at $z \sim 1100$, and galaxy surveys, with sources at $z \sim 2$, probe complementary information and the evolution of dark matter clustering between the two redshift ranges.

When considering the effect of a lensing confusion to IGB detection, it is desirable to make use of CMB data for a lensing reconstruction. This is due to the fact that what one extracts from galaxy shape measurements out to a redshift of a few, at most, only leads to a partial accounting of the total effect (the difference in curves in Figure 4). By mapping lensing deflection from CMB data, the lensing effect on polarization can be corrected to reconstruct the intrinsic CMB polarization at the surface of last scattering. Now the only curl component would be that due to gravity waves. In Figure 1, we show how well the lensing signal can be extracted. With no noise all-sky maps, and using quadratic statistics, one can remove the lensing contribution with a noise contribution that is roughly an order of magnitude lower than the original confusion. The extent to which the IGB amplitude limit, in terms of the energy scale of inflation, can be improved in the presence of cosmic shear confusion is summarized in Figure 2 for a 1 μ K

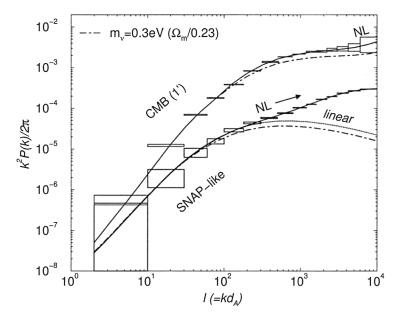


Figure 4. The lensing convergence reconstruction with CMB, with arcminute-scale angular resolution, and galaxy shape surveys, with sensitivity similar to a space-based campaign such as the one planned with SNAP. Note that the convergence measurements at low redshifts are mostly in the non-linear regime of dark matter clustering while with CMB, one mostly reconstructs linear clustering of matter. While there are other advantages such as the precise location of the source ($z\sim1100$) with CMB related lensing studies, the two lensing surveys with CMB and galaxies provide complimentary information and can be combined to improve the determination of certain cosmological parameters. We consider one case here with a massive neutrino, which can be distinguished at many tens of sigmas if the mass is at the level of 0.1 eV.

 $\sqrt{\rm sec}$ sensitivity experiment, while in Figure 3, we consider the same for a \sim 25 $\mu{\rm K}$ $\sqrt{\rm sec}$ sensitivity experiment with resolution similar to Planck. Following Kesden et al. (2002; Knox & Song 2002), if there is no instrumental-noise limitation, the sensitivity to gravity-wave signal is maximized by covering as much sky as possible and allow the accessibility to an inflaton potential of $\sim 2 \times 10^{15}$ GeV. This limit is slightly improved with likelihood techniques which extract additional information beyond quadratic statistics (Seljak & Hirata 2003). If the optical depth is to be high at the level of 0.1, then limits at the same level or slightly worse can be achieved by targeting the degree scale peak with a poor resolution experiment with no need for a removal of the confusion related to cosmic shear. Thus, in conclusion, we reiterate the importance of reionization and we suggest that an improved measurement of the optical depth will be helpful to optimize a post-WMAP mission related to the IGB detection as part of NASA's Einstein Probes program.

Acknowledgments. The author thanks Jamie Bock, Brian Keating, Marc Kamionkowski, Mike Kesden and Peng Oh for collaborative work, and acknowl-

edges support from the Sherman Fairchild foundation and the Department of Energy. The author thanks National Science Foundation for travel support to attend the IAU General Assembly.

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