## EXISTENCE THEOREMS FOR SOME NONLINEAR EQUATIONS OF EVOLUTION\*: CORRIGENDUM

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It has been recently pointed out that equations (6–11) and (7–4) employed in the proofs of Theorems 1 and 2 are incorrect. Thus, the results obtained as well as the examples considered are invalid.

However, these existence theorems become valid if we further restrict the functions  $A_{\alpha}$  in the family

$$A(t)u(x) = \sum_{|\alpha| \leq m} D^{\alpha}A_{\alpha}(x, t, u(x), \ldots, D^{m}u(x)), t \in E^{1},$$

to be of the form

$$A_{\alpha}(x, t, u(x), \dots, D^{m}u(x)) = \sum_{|\beta| \leq m} a_{\alpha\beta}(x, t) D^{\beta}u(x) + B_{\alpha}(x, t, u(x), \dots, D^{m-1}u(x)),$$

set p=2 throughout (i.e.  $W \equiv W_0^{m,p}(\Omega) = W_0^{m,2}(\Omega)$ ), and replace condition (I.1) by the following:

(I.1) Each  $a_{\alpha\beta}(x,t)$  is measurable in x for fixed t, once continuously differentiable in t on  $E^1$  and periodic in t of period  $\tau$  for almost every fixed x in  $\Omega$  and is in  $L^{\infty}(\tau; L^{\infty}(\Omega)) \cap L^{\infty}(\Omega \times E^1)$ . Each  $B_{\alpha}$ ,  $|\alpha| \leq m$ , satisfies the same growth (with p = 2), measurability and continuity conditions as the functions  $B_{\beta}$  appearing in Definition 3.1.

The monotonicity conditions (I.2)–(ii) and (II.2) on problems I and II, respectively, are no longer necessary and Theorems 1 and 2 follow directly from Lemmas 5.1 and 6.1 without recourse to equations (6-11) and (7-4) or any portion of the monotonicity argument. Finally, reference [16, p. 60] on page 738 should be deleted. Unfortunately, some generality is lost. In particular, the corrected results do not include families A(t) with nonlinear terms in the highest order space derivatives.

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