Bandgap and Complex Dielectric Function from the Low-Loss Energy Spectrum for SnO₂ Prismatic Nano-Rods.

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Tin dioxide (SnO₂) is a wide bandgap (Eg = $3.6 \, \mathrm{eV}$) n-type semiconductor that possesses a rutile structure with a tetragonal unit cell. It is used for different technologies such as chemical sensors, optoelectronics devices, and photo-catalysis. Different synthesis methodologies are applied to prepare SnO₂ such as thermal evaporation and sol-gel among others. However, the hydrothermal process is a cost-efficient methodology for the synthesis of SnO₂ particles whose morphology depends on the precursor solution features. The choice of adequate parameter values is always critical to control morphology while reaching different morphologies in the micro or nanometer size range. On the other hand, electron energy loss spectroscopy (EELS) is one of the most important techniques to elucidate the local electronic structure of materials [1]. In particular, in the valence region also known as the low-loss energy region (VEELS) is possible to determine the bandgap energy Eg and the complex dielectric function. The motivation of this work is to determine the Eg and the complex dielectric function for SnO₂ with elongated prismatic nanorods.

SnO₂ was prepared by the hydrothermal method, the experimental details were reported elsewhere [2]. EELS spectra were obtained with an electron energy loss spectrometer (EELS GAT-777 STEMPack) attached to a JEM-2200FS (200 kV), which offers an energy resolution of 1.0 eV. The electron probe size was below 1 nm. The spectra were acquired using a dispersion of 0.05 eV/channel to record spectra up to 1000 eV. The convergence semi-angle was $\alpha = 9.0$ mrad for a 2.5 mm spectrometer entrance aperture and 40 mm camera length, and the corresponding collection semi-angle was $\beta = 17.3$ mrad. The deconvolution of the zero-loss peak from the VEELS region, the Fourier-log method to remove plural scattering, and Kramers–Kronig analysis were carried out using the Gatan Suite software [3].

To monitor the morphology for SnO_2 , a high-angle annular dark-field scanning transmission electron (HAADF-STEM) micrograph was taken. The micrograph exhibits elongated prismatic nano-rods [2] and is presented in Figure 1a. Panel b shows the VEELS region where the zero-loss peak (ZLP) is identified and elemental analysis is performed for SnO_2 . Figure 2a shows the ZLP that was extracted from the VEELS region considering in the fit the extrapolation of a logarithmic function [3]. The inelastic contribution spectrum was corrected for multiple scattering events using the Fourier-log method obtaining the single scattering distribution (SSD) [3]. It can be observed in this curve that the bulk plasmon is located at 21.4 eV. A linear fit up to the x-axis in the energy loss function (ELF) suggests an Eg of 3.6 eV (panel b) which agrees with the value reported in the literature [4]. Panel c exhibits the complex dielectric function, $\epsilon 1$, $\epsilon 2$, and the ELF. These curves were obtained through the Kramers–Kronig analysis [3].

VEELS-STEM profile combined with Kramers–Kronig analysis is a very useful technique to monitor (a) the electronic structure in the valence region; (b) the complex dielectric function and to determine the electronic bandgap energy Eg for rutile SnO₂.



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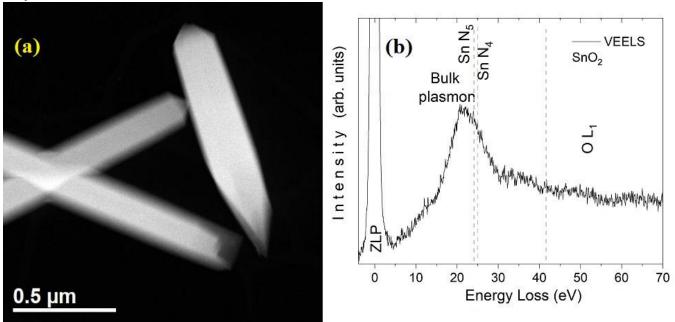


Figure 1. (a) HAADF-STEM micrograph showing elongated prismatic nano-rods. (b) Elemental identification in the VEELS region for SnO₂.

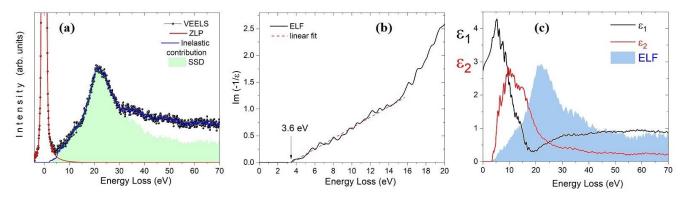


Figure 2. (a) Deconvolution of ZLP, inelastic contribution, and SSD. (b) Linear fit in the ELF to determine the bandgap energy value. (c) Complex dielectric function $\varepsilon 1$, $\varepsilon 2$ and ELF.

References

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