

GLOBAL FRINGE FITTING FOR POLARIZATION VLBI

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ABSTRACT. We present a global fringe fitting technique for the polarized fringes in VLBI. The standard search method imposes a signal-to-noise (*SNR*) limit on usable data. In our method the search procedure is circumvented and the *SNR* limitation removed.

1. INTRODUCTION

Standard VLBI data processing methods search a range of delays τ and delay rates $\dot{\tau}$ to “find the fringes;” this requires a large number of trials, typically $N=10^4-10^5$. The probability of false fringe detection depends on both N and the *SNR* of the fringe which is identified (Thompson *et al.* 1986). This places restrictions on the minimum *SNR* that can be used if one wants to be confident of having found a true fringe; in Mark III VLBI this limit is 7. Compact radio sources are typically 1–10% linearly polarized, so the linearly polarized intensity (cross-hand, “XH”) correlation coefficients are a tenth to a hundredth of the total intensity (parallel-hand, “PH”) coefficients. The *SNR* restriction and reduced flux thus put a significant amount of VLBI polarization data at or below the limit of reliable detectability by the standard fringe search technique. Our technique, a simplified form of global fringe fitting (Schwab and Cotton 1983), was developed to circumvent the restrictions imposed by fringe searching and hence reclaim low *SNR* data.

2. THE R-L DELAY DIFFERENCE METHOD

Each VLBI station has different instrumental delays for right and left circular polarizations, so the PH (RR and LL) and XH (RL and LR) fringes are located at different residual delays. Our procedure predicts the location in $(\tau, \dot{\tau})$ space of the XH fringes by combining the observed τ and $\dot{\tau}$ of the PH fringes with the right-minus-left (R-L) station differences $\delta\tau$ and $\delta\dot{\tau}$. Using reliable ($SNR \geq 7$) PH and XH fringes, we determine $\delta\tau$ and $\delta\dot{\tau}$ for each station as a function of time throughout an experiment. For each baseline there are two independent estimates of the single- and multi-band $\delta\tau$ for each end of the baseline; for stations x and y on baseline xy ,

$$\begin{aligned}\delta\tau_x &\equiv \tau_x^R - \tau_x^L = (\tau_x^R - \tau_y^L) - (\tau_x^L - \tau_y^L) = \tau_{xy}^{RL} - \tau_{xy}^{LL}, \\ \delta\tau_y &\equiv \tau_y^R - \tau_y^L = (\tau_x^R - \tau_y^L) - (\tau_x^R - \tau_y^R) = \tau_{xy}^{RL} - \tau_{xy}^{RR},\end{aligned}$$

plus two similar equations for reversed baseline order. The computation of $\delta\dot{\tau}$ mimicks that of $\delta\tau$. An example of the PH and XH multiband delays on one baseline is shown in

