References

[1] Abate, M. The Lindelöf principle and the angular derivative in strongly convex domains. *J. Anal. Math. 54* (1990), 189–228.

[2] Abate, M. Angular derivatives in strongly pseudoconvex domains. In *Several complex variables and complex geometry, Part 2 (Santa Cruz, CA, 1989)*, vol. 52 of *Proceedings of Symposia in Pure Mathematics*. American Mathematical Society, Providence, RI, 1991, pp. 23–40.

[3] Abate, M. The Julia–Wolff–Carathéodory theorem in polydisks. *J. Anal. Math. 74* (1998), 275–306.

[4] Abate, M. Angular derivatives in several complex variables. In *Real methods in complex and CR geometry*, vol. 1848 of *Lecture Notes in Mathematics*. Springer, Berlin, 2004, pp. 1–47.

[5] Abate, M., and Tauraso, R. The Julia–Wolff–Carathéodory theorem(s). In *Complex geometric analysis in Pohang (1997)*, vol. 222 of *Contemporary Mathematics*. American Mathematical Society, Providence, RI, 1999, pp. 161–172.

[6] Agler, J., and McCarthy, J. E. *Pick interpolation and Hilbert function spaces*, vol. 44 of *Graduate Studies in Mathematics*. American Mathematical Society, Providence, RI, 2002.

[7] Ahern, P. R., and Clark, D. N. Invariant subspaces and analytic continuation in several variables. *J. Math. Mech. 19* (1969/1970), 963–969.

[8] Ahern, P. R., and Clark, D. N. On functions orthogonal to invariant subspaces. *Acta Math. 124* (1970), 191–204.

[9] Ahern, P. R., and Clark, D. N. On star-invariant subspaces. *Bull. Amer. Math. Soc. 76* (1970), 629–632.

[10] Ahern, P. R., and Clark, D. N. Radial limits and invariant subspaces. *Amer. J. Math. 92* (1970), 332–342.

[11] Ahern, P. R., and Clark, D. N. Radial nth derivatives of Blaschke products. *Math. Scand. 28* (1971), 189–201.

[12] Ahern, P. R., and Clark, D. N. On inner functions with H^p-derivative. *Michigan Math. J. 21* (1974), 115–127.

[13] Ahern, P. R., and Clark, D. N. On inner functions with B^p derivative. *Michigan Math. J. 23*, 2 (1976), 107–118.

[14] Alexander, Jr., W. O., and Redheffer, R. The excess of sets of complex exponentials. *Duke Math. J. 34* (1967), 59–72.

[15] Alpay, D., Dijksma, A., Rovnyak, J., and de Snoo, H. *Schur functions, operator colligations, and reproducing kernel Pontryagin spaces*, vol. 96 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1997.

[16] Alpay, D., and Dym, H. Hilbert spaces of analytic functions, inverse scattering and operator models. I. *Integral Equations Operator Theory 7*, 5 (1984), 589–641.

[17] Alpay, D., and Dym, H. Hilbert spaces of analytic functions, inverse scattering and operator models. II. *Integral Equations Operator Theory 8*, 2 (1985), 145–180.

[18] Anderson, J. M., and Rovnyak, J. On generalized Schwarz–Pick estimates. *Mathematika 53*, 1 (2006), 161–168.

[19] Ando, T. *De Branges spaces and analytic operator functions*. Lecture notes. Hokkaido University, Sapporo, Japan, 1990.

[20] Ando, T., and Fan, K. Pick–Julia theorems for operators. *Math. Z. 168*, 1 (1979), 23–34.

[21] Andrews, G. E., Askey, R., and Roy, R. *Special functions*, vol. 71 of *Encyclopedia of Mathematics and its Applications*. Cambridge University Press, Cambridge, UK, 1999.

[22] Aronszajn, N. Theory of reproducing kernels. *Trans. Amer. Math. Soc. 68* (1950), 337–404.

[23] Avdonin, S. A., and Ivanov, S. A. *Families of exponentials: the method of moments in controllability problems for distributed parameter systems*. Translated from Russian and revised by authors. Cambridge University Press, Cambridge, UK, 1995.

[24] Balayan, L., and Garcia, S. R. Unitary equivalence to a complex symmetric matrix: geometric criteria. *Oper. Matrices 4*, 1 (2010), 53–76.

[25] Ball, J. A., and Kriete, III, T. L. Operator-valued Nevanlinna–Pick kernels and the functional models for contraction operators. *Integral Equations Operator Theory 10*, 1 (1987), 17–61.

[26] Ball, J. A., and Lubin, A. On a class of contractive perturbations of restricted shifts. *Pacific J. Math. 63*, 2 (1976), 309–323.

[27] Baranov, A. D. Bernstein-type inequalities for shift-coinvariant subspaces and their applications to Carleson embeddings. *J. Funct. Anal. 223*, 1 (2005), 116–146.

[28] Baranov, A. Completeness and Riesz bases of reproducing kernels in model subspaces. *Int. Math. Res. Not. 2006* (2006), 81530.

[29] Baranov, A., Fricain, E., and Mashreghi, J. Weighted norm inequalities for de Branges–Rovnyak spaces and their applications. *Amer. J. Math. 132*, 1 (2010), 125–155.

[30] Beneker, P. Strongly exposed points, Helson–Szegő weights and Toeplitz operators. *Integral Equations Operator Theory 31*, 3 (1998), 299–306.

[31] Beneker, P., and Wiegerinck, J. The boundary of the unit ball in H^1-type spaces. In *Function spaces (Edwardsville, IL, 2002)*, vol. 328 of *Contemporary Mathematics*. American Mathematical Society, Providence, RI, 2003, pp. 59–84.

[32] Bénéteau, C., Dahlner, A., and Khavinson, D. Remarks on the Bohr phenomenon. *Comput. Methods Funct. Theory 4*, 1 (2004), 1–19.

[33] Beurling, A. On two problems concerning linear transformations in Hilbert space. *Acta Math. 81* (1948), 17.

[34] Blandignères, A., Fricain, E., Gaunard, F., Hartmann, A., and Ross, W. Reverse Carleson embeddings for model spaces. *J. London Math. Soc. 88*, 2 (2013), 437–464.

[35] Blandignères, A., Fricain, E., Gaunard, F., Hartmann, A., and Ross, W. Direct and reverse Carleson measures for $H(b)$ spaces. Submitted, arXiv:1308.1574.

[36] Bolotnikov, V., and Kheifets, A. A higher order analogue of the Carathéodory–Julia theorem. *J. Funct. Anal. 237*, 1 (2006), 350–371.

[37] Borichеva, I. Geometric properties of projections of reproducing kernels on z^*-invariant subspaces of H^2. *J. Funct. Anal. 161*, 2 (1999), 397–417.

[38] Borwein, P., and Erdélyi, T. A sharp Bernstein-type inequality for exponential sums. *J. Reine Angew. Math. 476* (1996), 127–141.

[39] Borwein, P., and Erdélyi, T. Sharp extensions of Bernstein's inequality to rational spaces. *Mathematika 43*, 2 (1996), 413–423.

[40] Carathéodory, C. Über die Winkelderivierten von beschränkten analytischen Funktionen. *Sitzungsber. Preuss. Akad. Wiss. Berlin, Phys.-Math. Kl.* (1929), 39–54.

[41] Carathéodory, C. *Theory of functions of a complex variable. Vol. 1*. Translated by F. Steinhardt. Chelsea, New York, 1954.

[42] Carathéodory, C. *Theory of functions of a complex variable. Vol. 2*. Translated by F. Steinhardt. Chelsea, New York, 1954.

[43] Cargo, G. T. The radial images of Blaschke products. *J. London Math. Soc. 36* (1961), 424–430.

[44] Cargo, G. T. Angular and tangential limits of Blaschke products and their successive derivatives. *Canad. J. Math. 14* (1962), 334–348.

[45] Cargo, G. T. The boundary bahavior of Blaschke products. *J. Math. Anal. Appl. 5* (1962), 1–16.

[46] Chacón, G. R. Carleson measures on Dirichlet-type spaces. *Proc. Amer. Math. Soc. 139*, 5 (2011), 1605–1615.

[47] Chacón, G. R. Interpolating sequences in harmonically weighted Dirichlet spaces. *Integral Equations Operator Theory 69*, 1 (2011), 73–85.

[48] Chacón, G. R. Closed-range composition operators on Dirichlet-type spaces. *Complex Anal. Oper. Theory 7*, 4 (2013), 909–926.

[49] Chacón, G. R., Fricain, E., and Shabankhah, M. Carleson measures and reproducing kernel thesis in Dirichlet-type spaces. *Algebra i Analiz 24*, 6 (2012), 1–20.

[50] Chalendar, I., Fricain, E., and Partington, J. R. Overcompleteness of sequences of reproducing kernels in model spaces. *Integral Equations Operator Theory 56*, 1 (2006), 45–56.

[51] Chalendar, I., Fricain, E., and Timotin, D. Functional models and asymptotically orthonormal sequences. *Ann. Inst. Fourier (Grenoble) 53*, 5 (2003), 1527–1549.

[52] Chevrot, N., Fricain, E., and Timotin, D. The characteristic function of a complex symmetric contraction. *Proc. Amer. Math. Soc. 135*, 9 (2007), 2877–2886 (electronic).

[53] Chevrot, N., Fricain, E., and Timotin, D. On certain Riesz families in vector-valued de Branges–Rovnyak spaces. *J. Math. Anal. Appl. 355*, 1 (2009), 110–125.

[54] Chevrot, N., Guillot, D., and Ransford, T. De Branges–Rovnyak spaces and Dirichlet spaces. *J. Funct. Anal. 259*, 9 (2010), 2366–2383.

[55] Clark, D. N. One dimensional perturbations of restricted shifts. *J. Anal. Math. 25* (1972), 169–191.

[56] Cohn, B. Carleson measures for functions orthogonal to invariant subspaces. *Pacific J. Math. 103*, 2 (1982), 347–364.

[57] Cohn, W. S. Carleson measures and operators on star-invariant subspaces. *J. Operator Theory 15*, 1 (1986), 181–202.

[58] Costara, C., and Ransford, T. Which de Branges–Rovnyak spaces are Dirichlet spaces (and vice versa)? *J. Funct. Anal. 265*, 12 (2013), 3204–3218.

[59] Cowen, C. C., and MacCluer, B. D. *Composition operators on spaces of analytic functions*. In *Studies in Advanced Mathematics*. CRC Press, Boca Raton, FL, 1995.

[60] Cowen, C., and Pommerenke, C. Inequalities for the angular derivative of an analytic function in the unit disk. *J. London Math. Soc. 26*, 2 (1982), 271–289.

[61] Crofoot, R. B. Multipliers between invariant subspaces of the backward shift. *Pacific J. Math. 166*, 2 (1994), 225–246.

[62] Davis, B. M., and McCarthy, J. E. Multipliers of de Branges spaces. *Michigan Math. J. 38*, 2 (1991), 225–240.

[63] de Branges, L. The story of the verification of the Bieberbach conjecture. In *The Bieberbach conjecture (West Lafayette, IN, 1985)*, vol. 21 of *Mathematical Surveys and Monographs*. American Mathematical Society, Providence, RI, 1986, pp. 199–203.

[64] de Branges, L., and Rovnyak, J. Canonical models in quantum scattering theory. In *Perturbation theory and its applications in quantum mechanics (Proc. Adv. Sem. Math. Res. Center, US Army, Theor. Chem. Inst., Univ. Wisconsin, Madison, WI, 1965)*. Wiley, New York, 1966, pp. 295–392.

[65] de Branges, L., and Rovnyak, J. *Square summable power series*. Holt, Rinehart and Winston, New York, 1966.

[66] de Leeuw, K., and Rudin, W. Extreme points and extremum problems in H_1. *Pacific J. Math. 8* (1958), 467–485.

[67] Douglas, R. G. On majorization, factorization, and range inclusion of operators on Hilbert space. *Proc. Amer. Math. Soc. 17* (1966), 413–415.

[68] Dyakonov, K. M. Entire functions of exponential type and model subspaces in H^p. *Zap. Nauchn. Sem. Leningrad. Otdel. Mat. Inst. Steklov. (LOMI) 190, Issled. Linein. Oper. Teor. Funktsii. 19* (1991), 81–100, 186.

[69] Dyakonov, K. M. Differentiation in star-invariant subspaces. I. Boundedness and compactness. *J. Funct. Anal. 192*, 2 (2002), 364–386.

[70] Dyakonov, K. M. Differentiation in star-invariant subspaces. II. Schatten class criteria. *J. Funct. Anal. 192*, 2 (2002), 387–409.

[71] Fan, K. Julia's lemma for operators. *Math. Ann. 239*, 3 (1979), 241–245.

[72] Fan, K. Iteration of analytic functions of operators. *Math. Z. 179*, 3 (1982), 293–298.

[73] Fan, K. Iteration of analytic functions of operators. II. *Linear Multilinear Algebra 12*, 4 (1982/83), 295–304.

[74] Fejér, L. Über trigonometrische Polynome. *J. Reine Angew. Math. 146* (1916), 53–82.
[75] Fricain, E. Bases of reproducing kernels in model spaces. *J. Operator Theory 46*, 3, suppl. (2001), 517–543.
[76] Fricain, E. Complétude des noyaux reproduisants dans les espaces modèles. *Ann. Inst. Fourier (Grenoble) 52*, 2 (2002), 661–686.
[77] Fricain, E. Bases of reproducing kernels in de Branges spaces. *J. Funct. Anal. 226*, 2 (2005), 373–405.
[78] Fricain, E., and Hartmann, A. Regularity on the boundary in spaces of holomorphic functions on the unit disk. In *Hilbert spaces of analytic functions*, vol. 51 of *CRM Proceedings and Lecture Notes*. American Mathematical Society, Providence, RI, 2010, pp. 91–119.
[79] Fricain, E., Hartmann, A., and Ross, W. Concrete examples of $\mathcal{H}(b)$ spaces. arXiv:1405.2323.
[80] Fricain, E., and Mashreghi, J. Boundary behavior of functions in the de Branges–Rovnyak spaces. *Complex Anal. Oper. Theory 2*, 1 (2008), 87–97.
[81] Fricain, E., and Mashreghi, J. Integral representation of the n-th derivative in de Branges–Rovnyak spaces and the norm convergence of its reproducing kernel. *Ann. Inst. Fourier (Grenoble) 58*, 6 (2008), 2113–2135.
[82] Fricain, E., Mashreghi, J., and Seco, D. Cyclicity in non-extreme de Branges–Rovnyak spaces. In *Invariant subspaces of the shift operator*, vol. 638 of *Contemporary Mathematics (CRM Proceedings)*. American Mathematical Society, Providence, RI, 2015.
[83] Frostman, O. Sur les produits de Blaschke. *Kungl. Fysiogr. Sällsk. Lund Förhandl. [Proc. Roy. Physiogr. Soc. Lund] 12*, 15 (1942), 169–182.
[84] Frostman, O. Potentiel de masses à somme algébrique nulle. *Kungl. Fysiogr. Sällsk. Lund Förhandl. [Proc. Roy. Physiogr. Soc. Lund] 20*, 1 (1950), 1–21.
[85] Garcia, S. R., and Poore, D. E. On the norm closure problem for complex symmetric operators. *Proc. Amer. Math. Soc. 141*, 2 (2013), 549.
[86] Garcia, S. R., Poore, D. E., and Tener, J. E. Unitary equivalence to a complex symmetric matrix: low dimensions. *Linear Algebra Appl. 437*, 1 (2012), 271–284.
[87] Garcia, S. R., and Putinar, M. Complex symmetric operators and applications. *Trans. Amer. Math. Soc. 358*, 3 (2006), 1285–1315 (electronic).
[88] Garcia, S. R., and Putinar, M. Complex symmetric operators and applications. II. *Trans. Amer. Math. Soc. 359*, 8 (2007), 3913–3931 (electronic).
[89] Garcia, S. R., and Putinar, M. Interpolation and complex symmetry. *Tohoku Math. J. (2) 60*, 3 (2008), 423–440.
[90] Garcia, S. R., and Tener, J. E. Unitary equivalence of a matrix to its transpose. *J. Operator Theory 68*, 1 (2012), 179–203.
[91] Garcia, S. R., and Wogen, W. R. Complex symmetric partial isometries. *J. Funct. Anal. 257*, 4 (2009), 1251–1260.
[92] Garcia, S. R., and Wogen, W. R. Some new classes of complex symmetric operators. *Trans. Amer. Math. Soc. 362*, 11 (2010), 6065–6077.
[93] Garnett, J. B. *Bounded analytic functions*, 1st edn., vol. 236 of *Graduate Texts in Mathematics*. Springer, New York, 2007.
[94] Goebel, K., and Reich, S. *Uniform convexity, hyperbolic geometry, and nonexpansive mappings*, vol. 83 of *Monographs and Textbooks in Pure and Applied Mathematics*. Marcel Dekker, New York, 1984.

[95] Goldberg, J. L. Functions with positive real part in a half-plane. *Duke Math. J. 29* (1962), 333–339.

[96] Guyker, J. The de Branges–Rovnyak model. *Proc. Amer. Math. Soc. 111*, 1 (1991), 95–99.

[97] Hartmann, A., Sarason, D., and Seip, K. Surjective Toeplitz operators. *Acta Sci. Math. (Szeged) 70*, 3–4 (2004), 609–621.

[98] Hayashi, E. The kernel of a Toeplitz operator. *Integral Equations Operator Theory 9*, 4 (1986), 588–591.

[99] Hayashi, E. Classification of nearly invariant subspaces of the backward shift. *Proc. Amer. Math. Soc. 110*, 2 (1990), 441–448.

[100] Helson, H. *Lectures on invariant subspaces*. Academic Press, New York, 1964.

[101] Helson, H. Large analytic functions. In *Linear operators in function spaces (Timisoara, 1988)*, vol. 43 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1990, pp. 209–216.

[102] Helson, H. Large analytic functions. II. In *Analysis and partial differential equations*, vol. 122 of *Lecture Notes in Pure and Applied Mathematics*. Dekker, New York, 1990, pp. 217–220.

[103] Hervé, M. Quelques propriétés des applications analytiques d'une boule à m dimensions dan elle-même. *J. Math. Pures Appl. (9) 42* (1963), 117–147.

[104] Hitt, D. Invariant subspaces of H^2 of an annulus. *Pacific J. Math. 134*, 1 (1988), 101–120.

[105] Hoffman, K. *Banach spaces of analytic functions*. Reprint of 1962 original. Dover, New York, 1988.

[106] Hruščëv, S. V., Nikolskii, N. K., and Pavlov, B. S. Unconditional bases of exponentials and of reproducing kernels. In *Complex analysis and spectral theory (Leningrad, 1979/1980)*, vol. 864 of *Lecture Notes in Mathematics*. Springer, Berlin, 1981, pp. 214–335.

[107] Ingham, A. E. Some trigonometrical inequalities with applications to the theory of series. *Math. Z. 41*, 1 (1936), 367–379.

[108] Izuchi, K. J. Singular inner functions whose Frostman shifts are Carleson–Newman Blaschke products. *Complex Var. Elliptic Equ. 51*, 3 (2006), 255–266.

[109] Izuchi, K. J., and Kim, H. O. Singular inner functions whose Frostman shifts are Carleson–Newman Blaschke products. II. *Complex Var. Elliptic Equ. 52*, 5 (2007), 425–437.

[110] Jafari, F. Angular derivatives in polydiscs. *Indian J. Math. 35*, 3 (1993), 197–212.

[111] Julia, G. Extension nouvelle d'un lemme de Schwarz. *Acta Math. 42*, 1 (1920), 349–355.

[112] Jury, M. T. Reproducing kernels, de Branges–Rovnyak spaces, and norms of weighted composition operators. *Proc. Amer. Math. Soc. 135*, 11 (2007), 3669–3675 (electronic).

[113] Kadec, M. Ĭ. The exact value of the Paley–Wiener constant. *Dokl. Akad. Nauk SSSR 155* (1964), 1253–1254.

[114] Kapustin, V. V. Real functions in weighted Hardy spaces. *Zap. Nauchn. Sem. St.-Peterburg. Otdel. Mat. Inst. Steklov. (POMI) 262, Issled. Linein. Oper. Teor. Funkts. 27* (1999), 138–146, 233–234.

[115] Landau, E., and Valiron, G. A deduction from Schwarz's lemma. *J. London Math. Soc. 1–4*, 3 (1929), 162–163.

[116] Leech, R. B. On the characterization of $\mathcal{H}(b)$ spaces. *Proc. Amer. Math. Soc. 23* (1969), 518–520.
[117] Levin, M. B. An estimate of the derivative of a meromorphic function on the boundary of the domain. *Dokl. Akad. Nauk SSSR 216* (1974), 495–497.
[118] Li, K. Y. Inequalities for fixed points of holomorphic functions. *Bull. London Math. Soc. 22*, 5 (1990), 446–452.
[119] Li, X., Mohapatra, R. N., and Rodriguez, R. S. Bernstein-type inequalities for rational functions with prescribed poles. *J. London Math. Soc. (2) 51*, 3 (1995), 523–531.
[120] Lotto, B. A. Inner multipliers of de Branges's spaces. *Integral Equations Operator Theory 13*, 2 (1990), 216–230.
[121] Lotto, B. A. Toeplitz operators on weighted Hardy spaces. In *Function spaces (Edwardsville, IL, 1990)*, vol. 136 of *Lecture Notes in Pure and Applied Mathematics*. Dekker, New York, 1992, pp. 295–300.
[122] Lotto, B. A., and McCarthy, J. E. Composition preserves rigidity. *Bull. London Math. Soc. 25*, 6 (1993), 573–576.
[123] Lotto, B. A., and Sarason, D. Multiplicative structure of de Branges's spaces. *Rev. Mat. Iberoamer. 7*, 2 (1991), 183–220.
[124] Lotto, B. A., and Sarason, D. Multipliers of de Branges–Rovnyak spaces. *Indiana Univ. Math. J. 42*, 3 (1993), 907–920.
[125] Lotto, B. A., and Sarason, D. Multipliers of de Branges–Rovnyak spaces. II. In *Harmonic analysis and hypergroups (Delhi, 1995)*, vol. of *Trends in Mathematics*. Birkhäuser, Boston, MA, 1998, pp. 51–58.
[126] MacCluer, B. D., Stroethoff, K., and Zhao, R. Generalized Schwarz–Pick estimates. *Proc. Amer. Math. Soc. 131*, 2 (2003), 593–599 (electronic).
[127] MacCluer, B. D., Stroethoff, K., and Zhao, R. Schwarz–Pick type estimates. *Complex Var. Theory Appl. 48*, 8 (2003), 711–730.
[128] Makarov, N., and Poltoratski, A. Beurling–Malliavin theory for Toeplitz kernels. *Invent. Math. 180*, 3 (2010), 443–480.
[129] Mashreghi, J. *Derivatives of inner functions*, vol. 31 of *Fields Institute Monographs*. Springer, New York, 2013.
[130] Matheson, A. L., and Ross, W. T. An observation about Frostman shifts. *Comput. Methods Funct. Theory 7*, 1 (2007), 111–126.
[131] Mellon, P. Another look at results of Wolff and Julia type for J^*-algebras. *J. Math. Anal. Appl. 198*, 2 (1996), 444–457.
[132] Mercer, P. R. On a strengthened Schwarz–Pick inequality. *J. Math. Anal. Appl. 234*, 2 (1999), 735–739.
[133] Mortini, R., and Nicolau, A. Frostman shifts of inner functions. *J. Anal. Math. 92* (2004), 285–326.
[134] Nakamura, Y. One-dimensional perturbations of isometries. *Integral Equations Operator Theory 9*, 2 (1986), 286–294.
[135] Nevanlinna, R. Remarques sur le lemme de Schwarz. *C. R. Acad. Sci. Paris 188* (1929), 1027–1029.
[136] Nikolskii, N. K. Bases of exponentials and values of reproducing kernels. *Dokl. Akad. Nauk SSSR 252*, 6 (1980), 1316–1320.
[137] Nikolskii, N. K. *Treatise on the shift operator. Spectral function theory*, vol. 273 of *Grundlehren der Mathematischen Wissenschaften*. With appendix by S. V. Hruščev and V. V. Peller. Translated from Russian by J. Peetre. Springer, Berlin, 1986.

[138] Nikolskii, N. K. *Operators, functions, and systems: an easy reading. Vol. 2, Model operators and systems*, vol. 93 of *Mathematical Surveys and Monographs*. Translated from French by A. Hartmann and revised by the author. American Mathematical Society, Providence, RI, 2002.

[139] Nikolskii, N. K., and Vasyunin, V. I. Notes on two function models. In *The Bieberbach conjecture (West Lafayette, IN, 1985)*, vol. 21 of *Mathematical Surveys and Monographs*. American Mathematical Society, Providence, RI, 1986, pp. 113–141.

[140] Nikolskii, N. K., and Vasyunin, V. I. A unified approach to function models, and the transcription problem. In *The Gohberg anniversary collection, Vol. II (Calgary, AB, 1988)*, vol. 41 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1989, pp. 405–434.

[141] Nikolskii, N. K., and Vasyunin, V. I. Quasi-orthogonal Hilbert space decompositions and estimates of univalent functions. I. In *Functional analysis and related topics (Sapporo, 1990)*. World Scientific, River Edge, NJ, 1991, pp. 19–28.

[142] Nikolskii, N. K., and Vasyunin, V. I. Quasi-orthogonal Hilbert space decompositions and estimates of univalent functions. II. In *Progress in approximation theory (Tampa, FL, 1990)*, vol. 19 of *Springer Series in Computational Mathematics*. Springer, New York, 1992, pp. 315–331.

[143] Nikolskii, N., and Vasyunin, V. Elements of spectral theory in terms of the free function model. I. Basic constructions. In *Holomorphic spaces (Berkeley, CA, 1995)*, vol. 33 of *Mathematical Sciences Research Institute Publications*. Cambridge University Press, Cambridge, UK, 1998, pp. 211–302.

[144] Paley, R. E. A. C., and Wiener, N. *Fourier transforms in the complex domain*, vol. 19 of *American Mathematical Society Colloquium Publications*. Reprint of the 1934 original. American Mathematical Society, Providence, RI, 1987.

[145] Potapov, V. P. The multiplicative structure of J-contractive matrix functions. *Amer. Math. Soc. Transl. (2) 15* (1960), 131–243.

[146] Redheffer, R. M. Completeness of sets of complex exponentials. *Adv. Math. 24*, 1 (1977), 1–62.

[147] Reich, S., and Shoikhet, D. The Denjoy–Wolff theorem. In *Proceedings of workshop on fixed point theory (Kazimierz Dolny, Poland, 1997)*, vol. 51 of *Annales Universitatis Mariae Curie-Skłodowska*, 1997, pp. 219–240.

[148] Renaud, A. Quelques propriétés des applications analytiques d'une boule de dimension infinie dans une autre. *Bull. Sci. Math. (2) 97* (1973), 129–159.

[149] Richter, S. A representation theorem for cyclic analytic two-isometries. *Trans. Amer. Math. Soc. 328*, 1 (1991), 325–349.

[150] Richter, S., and Sundberg, C. A formula for the local Dirichlet integral. *Michigan Math. J. 38*, 3 (1991), 355–379.

[151] Richter, S., and Sundberg, C. Multipliers and invariant subspaces in the Dirichlet space. *J. Operator Theory 28*, 1 (1992), 167–186.

[152] Richter, S., and Sundberg, C. Invariant subspaces of the Dirichlet shift and pseudocontinuations. *Trans. Amer. Math. Soc. 341*, 2 (1994), 863–879.

[153] Riesz, M. Sur certaines inégalités dans la théorie des fonctions. *Kungl. Fysiogr. Sällsk. Lund Förhandl. [Proc. Roy. Physiogr. Soc. Lund] 1* (1931), 18–38.

[154] Rosenblum, M., and Rovnyak, J. *Hardy classes and operator theory*. Corrected reprint of 1985 original. Dover, Mineola, NY, 1997.

[155] Rovnyak, J. Ideals of square summable power series. *Math. Mag. 33* (1959/1960), 265–270.

[156] Rudin, W. *Function theory in the unit ball of* $\mathbb{C}^n$, vol. of *Classics in Mathematics*. Reprint of 1980 edition. Springer, Berlin, 2008.

[157] Ruscheweyh, S. Two remarks on bounded analytic functions. *Serdica 11*, 2 (1985), 200–202.

[158] Sarason, D. Generalized interpolation in H^∞. *Trans. Amer. Math. Soc. 127* (1967), 179–203.

[159] Sarason, D. Doubly shift-invariant spaces in H^2. *J. Operator Theory 16*, 1 (1986), 75–97.

[160] Sarason, D. Shift-invariant spaces from the Brangesian point of view. In *The Bieberbach conjecture (West Lafayette, IN, 1985)*, vol. 21 of *Mathematical Surveys and Monographs*. American Mathematical Society, Providence, RI, 1986, pp. 153–166.

[161] Sarason, D. Angular derivatives via Hilbert space. *Complex Var. Theory Appl. 10*, 1 (1988), 1–10.

[162] Sarason, D. Nearly invariant subspaces of the backward shift. In *Contributions to operator theory and its applications (Mesa, AZ, 1987)*, vol. 35 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1988, pp. 481–493.

[163] Sarason, D. Exposed points in H^1. I. In *The Gohberg anniversary collection, Vol. II (Calgary, AB, 1988)*, vol. 41 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1989, pp. 485–496.

[164] Sarason, D. Exposed points in H^1. II. In *Topics in operator theory: Ernst D. Hellinger memorial volume*, vol. 48 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1990, pp. 333–347.

[165] Sarason, D. Kernels of Toeplitz operators. In *Toeplitz operators and related topics (Santa Cruz, CA, 1992)*, vol. 71 of *Operator Theory: Advances and Applications*. Birkhäuser, Basel, 1994, pp. 153–164.

[166] Sarason, D. *Sub-Hardy Hilbert spaces in the unit disk*, vol. 10 of *University of Arkansas Lecture Notes in the Mathematical Sciences*. Wiley-Interscience, New York, 1994.

[167] Sarason, D. Local Dirichlet spaces as de Branges–Rovnyak spaces. *Proc. Amer. Math. Soc. 125*, 7 (1997), 2133–2139.

[168] Sarason, D. Harmonically weighted Dirichlet spaces associated with finitely atomic measures. *Integral Equations Operator Theory 31*, 2 (1998), 186–213.

[169] Sarason, D. Errata: "Harmonically weighted Dirichlet spaces associated with finitely atomic measures". *Integral Equations Operator Theory 36*, 4 (2000), 499–504.

[170] Sarason, D. Unbounded Toeplitz operators. *Integral Equations Operator Theory 61* (2008), 281–298.

[171] Sarason, D., and Silva, J.-N. O. Composition operators on a local Dirichlet space. *J. Anal. Math. 87* (2002), 433–450.

[172] Sedleckiĭ, A. M. The stability of the completeness and of the minimality in L^2 of a system of exponential functions. *Mat. Zametki 15* (1974), 213–219.

[173] Serrin, J. A note on harmonic functions defined in a half plane. *Duke Math. J. 23* (1956), 523–526.

[174] Seubert, S. Unbounded dissipative compressed Toeplitz operators. *J. Math. Anal. Appl. 290* (2004), 132–146.

[175] Shapiro, J. H. *Composition operators and classical function theory*, vol. of *Universitext: Tracts in Mathematics*. Springer, New York, 1993.

[176] Shields, A. L., and Wallen, L. J. The commutants of certain Hilbert space operators. *Indiana Univ. Math. J. 20* (1970/1971), 777–788.

[177] Slater, L. J. *Generalized hypergeometric functions*. Cambridge University Press, Cambridge, UK, 1966.

[178] Stein, E. M. *Singular integrals and differentiability properties of functions*, vol. 30 of *Princeton Mathematical Series*. Princeton University Press, Princeton, NJ, 1970.

[179] Stein, E. M. (with assistance of T. S. Murphy). *Harmonic analysis: real-variable methods, orthogonality, and oscillatory integrals*, vol. III of *Monographs in Harmonic Analysis*, vol. 43 of *Princeton Mathematical Series*. Princeton University Press, Princeton, NJ, 1993.

[180] Suárez, D. Multipliers of de Branges–Rovnyak spaces in H^2. *Rev. Mat. Iberoamer. 11*, 2 (1995), 375–415.

[181] Suárez, D. Backward shift invariant spaces in H^2. *Indiana Univ. Math. J. 46*, 2 (1997), 593–619.

[182] Suárez, D. Closed commutants of the backward shift operator. *Pacific J. Math. 179*, 2 (1997), 371–396.

[183] Sz.-Nagy, B., and Foiaş, C. Dilatation des commutants d'opérateurs. *C. R. Acad. Sci. Paris Sér. A–B 266* (1968), A493–A495.

[184] Sz.-Nagy, B., and Foiaş, C. *Harmonic analysis of operators on Hilbert space*. Translated from the French and revised. North-Holland, Amsterdam, 1970.

[185] Temme, D., and Wiegerinck, J. Extremal properties of the unit ball in H^1. *Indag. Math. (N.S.) 3*, 1 (1992), 119–127.

[186] Timotin, D. Note on a Julia operator related to model spaces. In *Invariant subspaces of the shift operator*, vol. 638 of *Contemporary Mathematics (CRM Proceedings)*. American Mathematical Society, Providence, RI, 2015.

[187] Timotin, D. A short introduction to de Branges–Rovnyak spaces. In *Invariant subspaces of the shift operator*, vol. 638 of *Contemporary Mathematics (CRM Proceedings)*. American Mathematical Society, Providence, RI, 2015.

[188] Vasjunin, V. I. The construction of the B. Szőkefalvi-Nagy and C. Foiaş functional model. *Zap. Nauchn. Sem. Leningrad. Otdel. Mat. Inst. Steklov. (LOMI) 73, Issled. Linein. Oper. Teorii Funktsii. 8* (1977), 16–23, 229.

[189] Vinogradov, S. A. Properties of multipliers of integrals of Cauchy–Stieltjes type, and some problems of factorization of analytic functions. In *Mathematical programming and related questions (Proceedings of the Seventh Winter School, Drogobych, 1974), Theory of functions and functional analysis*. Central Èkonom.-Mat. Inst. Akad. Nauk SSSR, Moscow, 1976, pp. 5–39 (in Russian).

[190] Volberg, A. L., and Treil, S. R. Embedding theorems for invariant subspaces of the inverse shift operator. *Zap. Nauchn. Sem. Leningrad. Otdel. Mat. Inst. Steklov. (LOMI) 149, Issled. Linein. Teor. Funktsii. 15* (1986), 38–51, 186–187.

[191] Wolff, J. Sur une généralisation d'un théorème de Schwarz. *C. R. Acad. Sci. 182* (1926), 918–920.
[192] Wolff, J. Sur l'itération des fonctions holomorphes dans un demi-plan. *Bull. Soc. Math. France 57* (1929), 195–203.
[193] Young, R. M. *An introduction to nonharmonic Fourier series*, vol. 93 of *Pure and Applied Mathematics*. Academic Press, New York, 1980.
[194] Younis, R. Subordination and H^p functions. *Proc. Amer. Math. Soc. 110*, 3 (1990), 653–660.